## Project Number: MQP JPA 0704

## The Great Lakes Insurance Company

A Major Qualifying Project Report<br>Submitted to the Faculty of the<br>Worcester Polytechnic Institute in partial fulfillment of the requirements for the Degree of Bachelor of Science<br>in Actuarial Mathematics<br>by

[^0]Zijing Yin

## Table of Contents

Abstract: ..... 4
Chapter 1: Introduction ..... 5
Chapter 2: Background ..... 7
Description of boat insurance ..... 7
Risks ..... 10
Getting a Quote ..... 12
Chapter 3: Data Process ..... 13
Summary of Equations ..... 16
Chapter 4: Expenses ..... 17
Chapter 5: Operator Risk Calculations ..... 20
Chapter 6: Boat Risk ..... 32
Chapter 7: Estimating yearly losses ..... 42
Personal Property ..... 42
Liability ..... 45
Chapter 8: Medical Payments ..... 50
Chapter 9: Death Benefits ..... 54
Chapter 10: Profits ..... 60
Chapter 11: Conclusion ..... 62
Work Cited: ..... 64
Appendix: ..... 65


#### Abstract

:

This project researches the process an insurance company goes through to price boat insurance. Gathering data from boating statistics and insurance companies, a simulation product is created, utilizing accident rates, expected losses, and operator characteristics. This new product offers personal property, liability, and medical protection; as well as a unique policy for death benefits. Assuming realistic conditions like regional factors, business expenses, and projected customer base; the resulting insurance policy is both profitable and competitive in real life situations.


## Chapter 1: Introduction

There are a variety of different types of insurance in the United States. Some of them are similar among all states, such as health insurance, where the living conditions are generally similar. Others are affected by regional differences, which mean that some types of insurance may either be inapplicable or have very poor business opportunities in certain states. Boat insurance belongs to the latter type because it is only becomes profitable when sold in states that either borders an ocean, or contain many lakes. The purpose of this project is to price a new insurance product that is both unique and affected by regional factors. Boat insurance not only fits these characteristics, but also has a large pool of potential clients to draw from.

Since boat insurance is a regional service, careful decisions have to be made in order to decide which states to cover. By analyzing the boating statistics for the popular boating states from the United States Coast Guard, the top five states in the nation with the most registered boats are Florida, California, Minnesota, Michigan, and Wisconsin. The number of accidents for each state is divided by its total registered boats to give the state wide accident rates. It is immediately noticeable however, that although Florida and California have the largest population of boaters, they also have significantly higher
accident rates than most of the other states. The other top boating states; Minnesota, Michigan and Wisconsin; all Great Lake states, yielded much better results. Upon further study, it is discovered that all of the Great Lake states are within the top 10 boating states of the U.S. Along with low accident rates, all of these states provide the advantage of a regional business for lower expenses. With the addition of Illinois, Indiana, and Ohio, these states are finalized as the region covered by the simulated company named "The Great Lakes Insurance Company."

The most important and difficult part of developing a new insurance product is to determine the pricing formula because a large amount of data is necessary in order to analyze the relationships between all of the inputs. It becomes crucial to have years of detailed historical data in order to predict future risks and trends. Depending on the different demands that customers might have, mathematical equations must be created to calculate the pricing formulas for all available options.

For the Great Lakes Insurance Company (GLIC) four basic coverage options are made available: physical damage, liability, medical coverage and death benefits. In the following chapters, each section will be thoroughly discussed to show the steps taken in reproducing an insurance quote.

## Chapter 2: Background

## Description of boat insurance:

The insurance industry can be separated into two major categories; Life \& Health and Property \& Casualty. Life \& Health protects against financial loss in the event of injury, sickness, or death. Property \& Casualty on the other hand, focuses on providing insurance against the loss of real property, tangible assets and income. Boat insurance belongs to Property and Casualty. Similar to automobiles, boats are vulnerable to accidents, bad weather, and theft. According to information from the USCG, the number of boating deaths, injuries and property damage has been increasing since 2005. In order to protect the boat and its passengers and avoid significant financial loss, it is important to purchase boat insurance.

Boats can be classified in seven groups: Powerboats, sailboats, houseboats, personal watercrafts, performance boats, charter boats and mega yachts. Since various different coverage options are available for each type of boat, it may be complicated for boat owners to choose the best type of insurance to suit their needs. Important awareness factors for boat owners are detailed in the coverage policy, such as procedures for towing and grounding. Insurance agents will
help the customers determine the best and most affordable coverage for their situation.

Before purchasing boat insurance, the company will provide the customer with an insurance quote to estimate how much their coverage options will cost them on a yearly basis. Generally, the cost of insurance will depend on several factors:

- Total boat value
- Size and length
- Age
- Boat type
- Engine power
- Mooring Location
- Deductible

Factors such as deductibles, area of navigation, installation of safety devices, and official training may reduce the cost of premiums.

Standard boat insurance is divided into three broad categories:

1. Physical Damage provides payment when boats are damaged or destroyed by a covered peril, such as collision, fire, theft, windstorm, and vandalism. Coverage can extend to auxiliary equipment, outboard motors, trailers, and personal property.
2. Liability provides protection in the event of a legal issue. If a customer is sued and/or held legally responsible for damages to
property or injury to someone other than themselves or a family member, they may rely on liability coverage.
3. Medical coverage provides protection for reasonable medical, ambulance and hospital fees for someone who is injured while in, on, while boarding, or leaving your boat.

While the most expensive coverage is generally not necessary for everyone's needs, it is important to understand the potential risks in order to balance between insurance price and coverage.

## Risks

Boating has become increasingly popular over the decade. As with any popular activity involving people, power equipment, and water, there are many risks involved. These boating risks include and are not limited to:

Damage to the boat from fire, explosion, or collision with other vessels or objects.

- Injury or death of passengers in the boat, being pulled by boat, or in the water.
- Injury or death caused by Carbon Monoxide Exposure, Falls in/on Boat, Flooding/Swamping and so on.
- Damage to other boats and injury of other people.
- Damage to docks
- Pollution of land or water by petroleum products spilled from the boat.
- Theft or other crimes that might take place on a boat.

According to the Boating Statistics 2006 published by The U.S. Department of Homeland Security and The USCG, the three types of accidents that are most likely to result in a fatality are:

1. Capsizing \& fire/explosion (cause of most property damage)
2. Collision with another vessel
3. Skier mishap

With only the reported accidents in 2006, there are over 3400 injuries, and the fatalities numbering in the 700s. Total reported property damages cost over 43.5 Million Dollars.

There are two ways of dealing with risk. First, it is important to know how to control the risk. Boats should be equipped with proper safety equipment such as radios, flares, spare batteries, personal flotation devices, fire extinguishers, etc. Secondly, boat operators should receive safety training, and should review the state and federal boating laws.

## Getting a Quote

Getting a free boat insurance quote online is an easy process. However, different companies may have different pricing policies. Normally, the insurance company requires the inquirer to provide some relevant information during the quoting process. For example, Progressive requires four pages of different questions to be answered in order to receive a price quote. These questions generally include details such as:

- The location of boat
- Experience of the operator
- Levels of coverage
- Whether the customer has purchased insurance from that company before.
- When the operator will use their boat the most (month)
- Number of secondary operators

After looking through the different questions that companies ask in order to offer a quote, a logical deduction of necessary factors in the pricing process can be made. By utilizing the information required by these companies as a guideline, a mathematical model can be created to simulate similar pricing methods.

## Chapter 3: Data Process

The major source of data used in this project is from the boating statistics created by the United States Coast Guard, which can be found from their website http://www.uscgboating.org. The USCG has published annual statistics about registered boats, accidents, injuries, fatalities, causes, and property damage each year since 1997. However, in order to utilize trends and predict future outcomes, the most relevant data are the statistics from 2001 to 2006 as they have recently expanded the amount of data they record.

The recent data is generally believed to be more accurate, but it is also possible that there are special circumstances in certain years that cause inaccurate data, such as natural disasters and economical crises. In order to account for these inconsistencies, it is necessary to use an average of all applicable data from recent years. This is also helpful because it increases the size of the data pool. The additional data allows for a more detailed calculation of averages. To properly account for data over several years, all calculations are taken using weighted averages to place emphasis upon more recent years. In the sections for Medical Payments and Liabilities, the averages are calculated using the equation:

$$
\text { Average }=(2006 * 6+2005 * 5+2004 * 4) / 15
$$

In some special cases, data from as far back as 2001 is utilized. Similar to the equation above, the average is calculated by:

$$
\text { Average }=(2006 * 6+2005 * 5+2004 * 4+2003 * 3+2002 * 2+
$$ 2001*1) / 21

Although the boating statistics reports are made professionally, they are not accurate enough due to the vast majority of accidents that remain unreported. Unreported accidents almost never include fatalities as these are naturally reported due to their severity. In many cases, boaters don't realize they have the obligations to report all accidents. Generally, unreported accidents are resolved privately by the parties involved and do not involve the authorities or the insurance companies so it is very difficult to estimate how big this number actually is. In all available data sources and articles that have been under review, it is only described as "the vast majority". Due to the ambiguity in this area, an estimate is created based on the verbal breakdown of what a vast majority might actually represent.

A majority is used to describes the largest portion of a sample population so unreported accidents have to account for more than $50 \%$ of all accidents. Therefore a vast majority should mean an overwhelming difference between reported and unreported accidents such as from $1 \%-10 \%$ of accidents being reported. From a later interview with a representative of USCG, they said the proposed
estimate of $95 \%$ of all accidents going unreported is not unreasonable. For real insurance companies, more data would be available. By collaborating and/or purchasing data from other companies and organizations, a more detailed estimate can be made. Another possibility is taking real insurance data accumulated from past years to support new projections.

Sometimes it can be hard to perform calculations based purely on boating statistics. For example, there is no data concerning the cost of certain injuries, which makes it impossible to find out the price of medical payments. But it's possible to utilize free information provided by other insurance companies. Companies such as Progressive and Boat U.S. provide guides in the form of their free quote services. These descriptions are in turn logically broken down to understand the basics of the insurance calculations for certain areas such as medical and liability. By submitting a diverse pool of different available factors into their calculators, a reconstruction of their formulas can be made and tailored to the options that the GLIC have created. It is through the reverse engineering of professional insurance calculations that the Medical and Liabilities sections are created.

## Summary of Equations

The following equations are used to calculate the expected losses per year for each coverage option. These equations will be explained in more detail in the later sections.

List of Variables:

- L = losses
- $\mathrm{C}=$ accident rate
- OR = operator risk
- $B R=$ boat risk

BV = boat value

- AL = average liability loss
- IR = injury rate
- AM = average medical loss
- $E=$ expenses
- $\mathrm{D}=$ deductible
- $\mathrm{FR}=$ fatality rate $=$ yearly death rate under optimal conditions
- $W=$ used in winter
- ML = medical limit level(1-5)


## Personal Property Damage:

$L_{p}=C[(0.40)(O R)(B R)(B V)-D]+E$

## Liability:

$\mathrm{L}_{\mathrm{L}}=\mathrm{C}[(\mathrm{OR})(\mathrm{AL})-\mathrm{D}]+\mathrm{E}$
ALpwc $=$ average liability loss for PWC
$A L_{M B}=$ average liability loss for motorboat

## Medical Payments:

$$
L_{m p}=(I R)(A M)(M L)+E
$$

## Death Benefits:

$\mathrm{L}_{\mathrm{DB}}=(\mathrm{FR})(\mathrm{W})(\mathrm{OR})(50,000)$
$W=1$ if not used in winter, $W=1.76$ if used in winter.

## Chapter 4: Expenses

The pricing model that GLIC utilizes incorporates the expected loss per contract plus the expenses before a profit margin is calculated. Therefore, calculating expenses are very important in determining the final price of the insurance product. These expenses apply not only towards the insurance payments for accidents, but to ordinary expenses that a company accrues throughout the course of the year. The expenses such as rent, utilities, wages, appliances \& furniture, computers and maintenance are all factored into the pricing formula for insurance. The goal of the Great Lakes Insurance company is to minimize the expenses associated with running a business in order to present a move competitive price to the customers.

Although many of the finer details in a real company have been omitted, the assumed expenses for the Great Lakes Insurance Company are grouped within two categories: Fixed Expenses and Variable Expenses. Although loosely defined as opposed to its real life counterpart, these expenses weigh in practical assumptions and reasonable needs. All expenses are divided evenly between an expected customer base of 200,000 people, which is only $6 \%$ of the market in these states. With competitive pricing and many regional offices that GLIC has spread around all six states, this is a modest
estimate. In real life, an assumption of $10-15 \%$ of the market will be ideal for a larger company, as there aren't many insurance companies selling boat insurance. Also, as the customer base grows, both variable and fixed expenses are reduced.

Fixed Expenses are the overhead of a company. These expenses include rent, electricity, and appliances. Aside from fluctuations in real estate prices, they generally remain the same from year to year. As the customer base grows, the fixed expenses will be reduced. For GLIC, a regional company operating in the Great Lakes area, these expenses are calculated based upon the assumption of one main office and a total of 50 smaller offices spread around the area. The main office will require approximately $\$ 150,000$ in rent per year while the smaller offices will accrue about $\$ 12,000$ each. The assumed budget for these expenses is $\$ 800,000$ a year to account for utilities, office supply deterioration, and rent. This results in an addition of a $\$ 4$ surcharge per customer with the assumed 200,000 clients. Even with a significantly larger client base, this budget will not see any large changes.

Variable expenses however, are generally much higher. In this case, his category of expenses is defined to cover the employee pool. With 50 offices in the area, the Great Lakes Insurance Company is a small company that houses 600 employees. With an assumed average
of around \$42,000 a year per employee, this figure is equal to 2.5 Million Dollars. With 200,000 customers, these expenses come to approximately $\$ 125$ per customer. The variable expenses of $\$ 125$ are divided by three to achieve a flat rate of $\$ 42$ per contract and an additional $\$ 42$ for each of the three main coverage options: Personal Property, Liability, and Medical Payments. A smaller rate of $\$ 5$ is charged for death benefits. Of GLIC's employee pool, a majority belongs to the sales staff, so with the company's competitive pricing, it is safe to assume most customers will purchase at least two of the three main insurance products to cover these variable expenses. This way, even though not all customers will buy a full insurance package, the variable expenses will not cut into the profits of the company. Although variable expenses will grow depending on the amount of customers, this price will not remain the same. As more customers apply for insurance at the company, the variable expenses will also be lowered, although not as fast as the fixed expenses.

## Chapter 5: Operator Risk Calculations

When trying to estimate how risky it is to sell insurance to someone, one of the main concerns of an insurance company is to judge the person they are doing business with. With boat insurance, this applies just as much. Although there are many luck factors that might cause a boating accident, most of the important factors are related to the operator of the vehicle. In most respects this is similar to auto insurance, with a larger road and a greater chance of drowning... Lack of knowledge or irresponsible actions can lead to many types of accidents. Since this is directly linked to the cause of an accident, operator risk is a key determinant in the pricing of boat insurance.

In order to calculate operator risk, many potential characteristics come to mind. The number of factors that are related to the propensity for people to get into accidents is endless. However, the data required to calculate many of these factors are almost non-existent, and therefore beyond the scope of this project. Some pertain able factors are weather, or time of day, which indirectly affects operator risk. Drivers who choose to take their boats out in bad weather or late at night can be expected to be involved in more accidents. However, some of these attributing factors defy numeric measurement. Since
there is a limit to the amount of information available, some assumptions have to be made and these factors have to be excluded.

The data pool for this area is not very large. After searching through what is available, the initial proposal is to use three main factors in determining operator risk: experience, age, and boating knowledge. After dividing each category into a finite number of brackets, these three characteristics can divide boat operators into nearly 150 different risk categories.

|  | OPERATOR INFORMATION |  |  |
| :---: | :---: | :---: | :---: |
|  |  | $\begin{aligned} & \hline \text { VESSELS } \\ & \text { INVOLVED } \end{aligned}$ | FATALITIES |
| TOTALS |  | 6,753 | 710 |
| AGE OF OPERATOR | 12 years and under 13 to 18 years 19 to 25 years 26 to 35 years 36 to 55 years Over 55 years Unknown | $\begin{array}{r} 33 \\ 530 \\ 787 \\ 994 \\ 2,133 \\ 729 \\ 1,547 \end{array}$ | $\begin{array}{r} 1 \\ 30 \\ 72 \\ 103 \\ 244 \\ 119 \\ 141 \end{array}$ |
| OPERATOR'S EXPERIENCE | Under 10 hours 10 to 100 hours 100 to 500 hours Over 500 hours Unknown | $\begin{array}{r} 410 \\ 1,331 \\ 1,616 \\ 590 \\ 2,806 \end{array}$ | $\begin{array}{r} 27 \\ 122 \\ 121 \\ 52 \\ 388 \end{array}$ |
| EDUCATION OF OPERATOR ${ }^{1}$ | Informal <br> None <br> Other <br> American Red Cross <br> State Course <br> US Power Squadrons USCG Auxiliary Unknown | $\begin{array}{r} 291 \\ 2,587 \\ 350 \\ 34 \\ 538 \\ 113 \\ 269 \\ 2,571 \end{array}$ | $\begin{array}{r} 18 \\ 253 \\ 43 \\ 1 \\ 27 \\ 5 \\ 8 \\ 355 \end{array}$ |

${ }^{1}$ Education of operator implies that some safety instruction has been received, but not necessarily that a course was successfully completed.

Figure 1: Accident rates for Operator risk brackets

A fourth condition is created based on the actual personal performance of the driver. Although no data is available to help with the pricing, this aspect is still too important in the pricing process to ignore. This expanded the number of operator risk categories to more than 3000 allowing for a list of applied weights to categorize a realistic variety of customers.

Figure 1 is just one of the six different years of data that is used to price the risk. When parameters are calculated for the pricing model, regression analysis is implemented to see any trends in the data. This is later graphed for visual observation. A weighted average is determined for each bracket based on year with a condition of importance based on more current years. Here's an example of a fairly drastic trend in the accident rate for people with 101-500 hours of experience:


Figure 2: percent of total accidents for a bracket in Experience

The percentiles in the $Y$ axis represent the percentage of total accidents that is accrued by people with $101-500$ hours of boating experience during the year. Although this is a fairly large number, consideration is placed upon the total number of drivers that fit in this category in order to calculate the risk. If the final risk calculation is over 100\%, which is the risk for an average driver, they will end up having to pay a heftier premium.

Another consideration is using projected percentages in order to calculate what the expected accident rate for the following year is going to look like. In this case, it is fairly easy to guess that the accident rate for next year will go down to $40 \%$ or lower but there are several brackets which have fairly complicated trends or none at all:


Figure 3: trending accident rate for the 19-25 age group

Since the total number of the accidents for a certain year is the sum of the percentiles in each bracket, data without a noticeable trend would throw off the total if a projected estimate is only applied to brackets with noticeable trends. Therefore the weighted average is applied uniformly to gather the final data.

Once the accident rates are calculated, the sample population has to be divided into the brackets that have been set. Since the data for the sample population is incomplete and different from the brackets for the accident rate, estimates have to be made to subdivide the groups to fit the brackets created for the first section.


Figure 4: percentage of drivers in each age group

In figure 4, the age groups for driver population is changed into the more general one in figure 1 for accident rate. By utilizing the fact that the graph is nearly linear, the new percentiles are estimated by using the rule of splitting triangles to calculate the area under the line. Since the cutoff bounds for the modified accident rate effectively split some of the current groups in half, the smaller half is estimated to be $1 / 4$ of the total in that bracket and the larger half to be $3 / 4$. The new spread is graphed in order to make sure it is accurate:


Figure 5: modified percentage of drivers in each age group

Once all the data fit together within each category, the risk probabilities are calculated. However, the main problem arose when tying the three categories together and trying to make sense of the data.

One important factor that has not been introduced yet is the amount of time someone spends on their boat. Due to lack of data this idea was originally not used, but there are some inaccuracies in the data that are illogical, therefore it had to be addressed. Similar to auto insurance, the amount of time or mileage is correlated with the risks of an accident. No matter how safe someone is, given enough time spent on a boat, the odds of an accident will increase. Therefore, the amount of time is introduced as a normalized spread based on assumption, because in the real world, more accurate data would be available for purchase.

The assumptions are based on several logical deductions associated to real life conditions. For the age category, people who tend to be older usually have more resources (money) and time (if you are retiring) to be out boating, therefore the older brackets tend to have a higher average amount of time spent on the water. For the experience bracket, the more hourly experience a driver has can be used to determine how often they spend boating. People with fewer than ten hours of experience are not likely to average hundreds of
hours on the water. On the other hand, even though operators with over 500 hours experience might have accumulated those hours from many years of boating, they still tend to spend more time. Therefore, the multipliers for this category are less than those used for the other categories.

For the boating lessons section, it is assumed that people who are willing to put in the time and money to take boating lessons will do so for several reasons. Time spent to prepare for driving classes can be tied to the willingness to spend more time boating. Money spent paying for lessons might also indirectly lead towards this factor. Therefore, the boaters' population is weighed based on the time they tend to spend on the water in order to make the data more realistic. Of course, the more detailed or elaborate lessons are weighed heavier than informal or state courses in terms of operation time. Even without the most accurate data, these assumptions have to be made in order to make the calculations more realistic. All of the numbers used are based on an estimated normal spread to simulate a realistic sample population.

In order to calculate the operator risk coefficient, the three categories have to be tied together. However, it is too inaccurate to just relate them together with just multiplication, because the
categories are not independent. Finding the correlation between them is nearly impossible, due to lack of data.

Since the risk rates are based on the average, the majority of the boater population should have approximately the average risk of $100 \%$ when combined. The number of boaters in the smaller categories or those with more extreme risk rates will be much less. After trying several methods, finding expected rates, trying to manipulate the data to get a sample variance and trying to simulate pseudo correlations between the three categories, none of the methods worked. Conditional expectations are considered as well but this caused inconsistencies based on which condition is assumed first.

The method that is the most accurate is to take an average of the three. With this approach, the spread created is clustered near the average and the extremes aren't wildly disproportional. The hypothesis on this simple result is that since the data is so correlated, the probability of related conditions occurring is almost close enough to just be an average of the three. After some experimentation, it is decided that the results are accurate enough to avoid further tampering by using weights. The new data is fit onto a different scale with limits on both sides; a minimum of $100 \%$ of the average rate, and the maximum is at $220 \%$. These rates are set so that no operator
will start at below the average risk, and assure the company does not lose too much money to first year applicants.

The last modifier used is the driver's personal history. Although all data is lacking in this category, the final decision is to model it after how car insurance works. This is necessary because no matter how much data is collected on the standard person and weighed down with sheer numbers and probability, the tendencies of the individual are the most important factor. If someone is accident prone, he might have the safest looking statistic, yet still cause the most damage. Therefore a set of rules are created to calculate how an operator's driving history will affect their risk. This system will assign each person a point based on their performance. A lower point value will reduce your risk while a higher value will increase it.

The guidelines for the point system are as follows:

- A citation received will raise an operator's point value by one

An accident will result in a penalty of two points.

- Each year a customer remains accident free will result in a deduction of half a point. As the appendix will show, base point value begins at six, which results in no change.
- Each subsequent point will result in a $5 \%$ increase or decrease in the risk rate.

Once the base value of one is reached, each consecutive year without an accident will lower your payment by $2 \%$

Pricing the exact formula for the operator risk rate combines the three driver characteristics with the point system. For drivers with no personal history, an initial value is determined by the three driver characteristics. For drivers with past performance data, a base 100\% is used for the average and then deductions/additions will be made based on the point system.

Scaled Risk: \{[(Category risk \%)-35\%] * 1.25\}/ (1.93) + 100\%
Category risk: $\{[($ Experience \%) + (Age \%) + (Lessons \%)] / 3\}
The category risk is the combination of the three driver characteristics. Once that is obtained, the formula for the scaled risk is used to convert the risk towards the scale of $100 \%-220 \% .35 \%$ is the lowest risk obtainable from the Category risk, and the 1.93 is the difference between the highest and lowest Category risks.

Initial Risk: (Scaled Risk) * (1 + point value rate \%)
The initial point value is 9 which results in a factor of $15 \%$. This is reduced to 6 if the operator has taken official lessons. After the initial year, the scaled risk gradually deteriorates over 5 years if the customer remains accident free. However, an accident will result in a pause in that deterioration for 4 years.

Deterioration: [(Scaled risk) - 100\%] / 5

Updated Scaled Risk: Max [(Scaled Risk) - (Deterioration),100\%]
Every year, the updated scaled risk is calculated and multiplied by the point value to achieve the driver's operator risk. If an operator's point value goes to 1 , then every consecutive accident free year will see a $2 \%$ decrease in their payment. If the point value exceeds 20 , the customer will be removed from the insurance policy. Although this becomes a somewhat complicated process to implement due to the large number of customers, with more resources, this process can be automated and the point system coded into macros.

As presented, this approach provides a basis to separate boat operators into distinct risk categories depending on their personal characteristics. Analysts will monitor this process as well as changing parameters from time to time based on accrued data.

## Chapter 6: Boat Risk

After the operator risk has been found, the next step is to find the risk applied to each boat type. In order to price the boat insurance, three factors are needed: operator risk, boat risk, and boat value. The different types of boats that GLIC will insure are divided into two categories: motorboats and personal watercrafts. Within each category, there may be minor differences in the features of the boat, but due to having a similar size and method of propulsion, the risk of an accident is roughly equal. To give the reader an idea of where the calculations are headed, the final boat risk values can be summarized as:
$B R=\Sigma$ [relative accident rates $*$ severity of the accidents * chance of accident occurring]

However there are several calculations that need to be completed before the final equation can be used to produce the boat risk value. The first step is to weigh the data from 2006, 2005, and 2004.

$$
[6 *(2006 \text { data })+5 *(2005 \text { data })+4 *(2004 \text { data })] / 15
$$

This is done to give more weight to the later years since those numbers are more appropriate for the present situation. The following is the weighted data for motorboats:

| 2006 Total Accidents | $\mathbf{2 0 0 6}$ | $\mathbf{2 , 0 0 5}$ | $\mathbf{2 , 0 0 4}$ | Weighted <br> Average |
| :--- | ---: | ---: | ---: | ---: |
| Total | 4,292 | 3,415 | 4,309 | 4,004 |
| Capsizing | 266 | 200 | 245 | 238 |
| Carbon Monoxide Exposure | 15 | 11 | 11 | 13 |
| Collision With Fixed Object | 431 | 302 | 439 | 390 |
| Collision With Floating Object | 138 | 101 | 83 | 111 |
| Collision With Vessel | 1,446 | 1,129 | 1,588 | 1,378 |
| Departed Vessel | 38 | 28 | 43 | 36 |
| Ejected From Vessel | 18 | 6 | 33 | 18 |
| Fall In Boat | 155 | 134 | 134 | 142 |
| Fall On Boat | 1 | 0 | 3 | 1 |
| Falls Overboard | 271 | 248 | 294 | 269 |
| Fire Or Explosion Of Fuel | 137 | 124 | 159 | 139 |
| Fire Or Explosion - Other | 100 | 43 | 58 | 70 |
| Flooding/Swamping | 192 | 178 | 233 | 198 |
| Grounding | 219 | 214 | 186 | 209 |
| Other Casualty | 86 | 25 | 60 | 59 |
| Sinking | 102 | 75 | 124 | 99 |
| Skier Mishap | 438 | 342 | 353 | 383 |
| Struck By Boat | 37 | 41 | 72 | 48 |
| Struck By Motor/Propeller | 107 | 81 | 62 | 86 |
| Struck Submerged Object | 80 | 117 | 93 | 96 |
| Unknown | 15 | 16 | 36 | 21 |

Figure 6: weighted average of the number of accidents

When comparing several boat types against each other, it is beneficial to select a common type to compare them to. GLIC has chosen motorboats to represent the standard since they are the most popular type of boat in use. The next step is to find a comparison of the overall chance of getting into an accident and the chance of getting into each type of accident because certain accidents cause more property damage than others. Motorboats are assigned a boat risk value of one. Observe the following data which is being used to calculate the boat risk value for PWCs:

| Accident Type | Propeller | Water Jet/PWC | \% of total propeller | percentage of total PWC | relative accident rate |
| :---: | :---: | :---: | :---: | :---: | :---: |
| TOTAL | 4,004 | 1,780 |  |  |  |
| Capsizing | 238 | 31 | 5.94\% | 1.74\% | 29.30\% |
| Carbon Monoxide Exposure | 13 | 1 | 0.32\% | 0.06\% | 17.30\% |
| $\begin{aligned} & \text { Collision with } \\ & \text { Fixed Object } \end{aligned}$ | 390 | 100 | 9.74\% | 5.62\% | 57.68\% |
| Collision with Floating Object | 111 | 37 | 2.77\% | 2.08\% | 74.98\% |
| Collision: Vessel | 1,378 | 1,146 | 34.42\% | 64.38\% | 187.07\% |
| Departed Vessel | 36 | 1 | 0.90\% | 0.06\% | 6.25\% |
| Ejected from Vessel | 18 | 15 | 0.45\% | 0.84\% | 187.45\% |
| Fall In Boat | 42 | 45 | 1.05\% | 2.53\% | 241.01\% |
| Fall On Boat | 1 | 42 | 0.02\% | 2.36\% | 9447.64\% |
| Falls Overboard | 269 | 150 | 6.72\% | 8.43\% | 125.43\% |
| Fire/Explosion <br> -Fuel | 139 | 18 | 3.47\% | 1.01\% | 29.13\% |
| Fire/Explosion - Other | 70 | 3 | 1.75\% | 0.17\% | 9.64\% |
| Flooding/Swampi ng | 198 | 16 | 4.95\% | 0.90\% | 18.18\% |
| Grounding | 209 | 26 | 5.22\% | 1.46\% | 27.98\% |
| Other Casualty | 59 | 14 | 1.47\% | 0.79\% | 53.38\% |
| Sinking | 99 | 8 | 2.47\% | 0.45\% | 18.18\% |
| Skier Mishap | 383 | 50 | 9.57\% | 2.81\% | 29.37\% |
| Struck by Boat | 48 | 55 | 1.20\% | 3.09\% | 257.75\% |
| Struck by Motor/Propeller | 86 | 4 | 2.15\% | 0.22\% | 10.46\% |
| Struck Submerged Object | 96 | 13 | 2.40\% | 0.73\% | 30.46\% |
| Unknown | 21 | 8 | 0.52\% | 0.45\% | 85.69\% |
|  |  |  |  |  |  |
| Registration | 7,724,530 | 3,128,965 |  |  |  |
| Accident Rate | 0.0518\% | 0.0521\% |  |  |  |
| Adjusted Rate | 1.0367\% | 1.0426\% |  |  |  |

Figure 7: Relative ratio of accidents by accident type and calculations for adjusted accident rates

From the results in columns 2 and 3, it can be seen that the overall chance of getting into an accident with a PWC is roughly the same as with a motorboat. However, the same cannot be said when discussing each type of accident. A risk comparison for each type of accident needs to be found. In order to do this, the assumption that the accident has occurred with a certain type of boat has to be made. The first ratio that needs to be found is:

P (accidenttype A for PWCl accidentfor PWChas occurred)
$\overline{\mathrm{P}(\text { accidenttype } \mathrm{A} \text { for motorboatl accident for motorboathas occurred). }}$

These are found in columns 4 and 5 . Dividing the first probability by the second leads to column $F$, this is the risk factor for each type of accident. This percentage is how much more likely a specific type of accident it to occur for a PWC compared to a motorboat. This is useful because certain accidents are more costly than others.

The next step is to calculate the expected losses for each type of accident. This will be done by assigning a severity factor to each type of accident. Accidents that cause more damage will generally be more severe. The most common type of accident, which is collision with another vessel, was assigned a significance factor one. The average cost of this accident was $\$ 6,669$. All ratios were found by comparing the cost of the accident to this cost. After analyzing the property damage for all the accidents over the past 3 years, we are able to
assign significance factors to each type of accident. The following data includes accidents for both motorboats and PWCs:

| 2004-2006 Total | Accidents | Property Damage | Prob./Year | Avg. Damage | Severity Factor |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Total | 4947 | \$39,143,273 | 0.0390\% | \$7913 | 1.20 |
| Capsizing | 430 | 2,316,268 | 0.0036\% | 5386 | 0.81 |
| Carbon Monoxide Exposure | 15 | 33,167 | 0.0001\% | 2261 | 0.34 |
| Collision W/ Fixed Object | 513 | 4,626,426 | 0.0041\% | 9018 | 1.36 |
| Collision W/ Floating Object | 122 | 1,004,667 | 0.0011\% | 8257 | 1.25 |
| Collision W/ Vessel | 1406 | 9,374,610 | 0.0107\% | 6669 | 1.01 |
| Departed Vessel | 15 | 28 | 0.0000\% | 1 | 0.00 |
| Ejected From Vessel | 34 | 261,024 | 0.0003\% | 7753 | 1.17 |
| Fall In Boat | 141 | 68,440 | 0.0016\% | 486 | 0.00 |
| Fall On Boat | 96 | 48,231 | 0.0002\% | 500 | 0.00 |
| Falls Overboard | 490 | 380,005 | 0.0038\% | 774 | 0.00 |
| Fire Or Explosion - Fuel | 148 | 7,377,366 | 0.0011\% | 49847 | 2.50 |
| Fire Or Explosion - Other | 59 | 5,090,574 | 0.0005\% | 86771 | 2.50 |
| Flooding/Swamping | 232 | 2,004,350 | 0.0017\% | 8627 | 1.30 |
| Grounding | 253 | 2,688,285 | 0.0020\% | 10639 | 1.61 |
| Other Casualty | 70 | 138,914 | 0.0008\% | 1984 | 0.00 |
| Sinking | 123 | 2,221,889 | 0.0009\% | 18015 | 2.72 |
| Skier Mishap | 451 | 11,134 | 0.0040\% | 24 | 0.00 |
| Struck By Boat | 81 | 81,582 | 0.0005\% | 1011 | 0.00 |
| Struck By Motor/Propeller | 90 | 11,063 | 0.0008\% | 122 | 0.00 |
| Struck Submerged Object | 110 | 1,045,487 | 0.0007\% | 9533 | 1.44 |
| Unknown | 35 | 355,293 | 0.0002\% | 10055 | 0.00 |

Figure 8: estimating the cost of each accident

Trivial accidents that incur small amounts of damage are given a severity factor of 0 , since the deductible will often cover the costs for the accident; these are likely to not get reported. Sinking, or fuel explosions are more costly then collisions because these accidents usually require a total replacement of the boat where as collision with
another vessel averages out to costs $40 \%$ of the boat value. It is important to note that $40 \%$ does not mean each collision does about $40 \%$ boat value damage. It means there is a high variation in damages, which happens to average out at $40 \%$. Since we are comparing everything to collision with another vessel, the highest Severity factor is 2.5 because losses greater than $100 \%$ of the boat value $(40 \% * 2.5=100 \%)$ cannot occur. Several of the calculations in the final columns were adjusted to the maximum and minimum severity factors to apply to real life situations as explained above.

The goal is to create a boat risk value where, if greater than 1 , that specific type of boat is expected to incur more losses relative to its boat value because it is likely to get into accidents that incur more damages. The opposite is true for boat risk values less than 1. Thus far, the relative chances of getting into a specific type of accident and how costly that accident is going to be has been calculated. Multiply the two numbers together to weigh the severity factors by their relative chances of occurring. These will be called the weighed severity factors.

The next step is to multiply the weighted severity factors by the chances of an accident occurring. An important point needs to be clarified because it may seem like we are multiplying the chance of a specific accident occurring twice, but this is not the case. The first is the relative risk of each accident type. For example, this is the chance
of a specific accident occurring for a PWC compared the chance of an accident occurring for a motorboat. This does not tell us how often the accident occurs in general. Among the first few columns you will notice the column headers "percentage of total PWC". These numbers are:

P(accident type A for boat type A |accident for boat type A has occurred).

For each accident type, relative accident rates are compared; the impact of the accident, and the overall chance of the accident occurring. Since the relative accident rate for each boat type is being compared to motorboats, the sum of these percentages, if the calculations were done for motorboats, would be equal to $100 \%$. If the sum is greater than $100 \%$, the boat risk for the specific type of boat is higher meaning it is more likely to get into accidents that will incur losses equal to a higher percentage of it boat value. The following is the data for PWCs:
$\left.\left.\begin{array}{|r|r|r|}\hline \begin{array}{r}\text { Severity } \\ \text { Factor }\end{array} & \begin{array}{r}\text { Weighted } \\ \text { Severity \% }\end{array} & \text { Final Severity \% }\end{array} \right\rvert\, \begin{array}{|r|r|}\hline 0.81 & 23.84 \% \\ \hline 0.34 & 5.91 \%\end{array}\right)$

Figure 9: Calculated Final BR Value

PWCs have a boat risk value of 1.3215. The calculations for sailboats have also been made but they are not insured by GLIC. Sailboats have a boat risk value of 1.377 and the calculations for this value can be found in the appendix. The boat risk value of any boat type can be found using this method. This does not imply that both these boat types are expected to incur more losses per boat than motorboats. It means they are expected to incur a higher loss relative
to their total boat value. In general, motorboats are more expensive and thus have a higher overall loss rate per accident.

Once again, the final equation can be summarized as:
Relative boat risk value $=\Sigma$ [relative accident rates $*$ severity of the accidents * chance of accident occurring]

## Chapter 7: Estimating yearly losses

Both operator risk and boat risk have been calculated and will be used in the equations for expected losses. All the losses will be calculated on a per year basis because the final product will be priced given a yearly quote. All the equations follow a similar, logical format. This format is a rate, or chance, that an accident will occur within a given year, multiplied by the expected cost of an accident. The cost of the accident includes the subtraction of the deductible which is always $\$ 1,000$ for GLIC. Finally, expenses for each policy need to be added.

## Personal Property

The personal property coverage option covers all property damage on the insured's boat in the event of an accident. This coverage generally includes all accidents regardless of who is at fault. It does not, however, included accidents performed intentionally for the purpose of receiving an insurance claim, which is considered insurance fraud.

To calculate expected losses for personal property, the same equation format will be followed as previously mentioned. For the rate, all factors that affect accident rate must be taken into consideration. Remember, boat risk does not affect the rate of an accident, only the
expected cost of an accident. Operator risk will be included in the accident rate. To reiterate, operator risk can have a range of values assigned to it but the mean value is one. First, a base accident rate must be calculated. The following table shows the accidents per year for motorboats and their weighted average over three years:

| Year | 2006 | 2,005 | 2,004 | Weighted <br> Average |
| :--- | :---: | ---: | ---: | ---: |
| Accidents | 292 | 3,415 | 4,309 | 4,004 |

Figure 10: Accident rates \& weighted average

For this project, all data is taken as a weighted average over the past three to six years depending on availability. In this case, it is only accurate three years back using USCG statistics. The average number of registered boaters during this time period is $7,724,530$. Simply dividing the number of accidents by the number of registered accidents gives a base accident rate. However, GLIC operates under the assumption that only $5 \%$ of all accidents are reported to USCG statistics. Thus, our rate is multiplied by 20 to represent 20 times as many accidents. This gives an accident rate, C, equal to $1.0366 \%$. The accident rate can be expressed as C*OR.

An expected cost of each accident must be calculated. This is dependent on boat risk. Motorboats have an average loss equal to $40 \%$ of their boat value. This is modified by the BR risk value for PWCs. The projected property damage on a PWC is about $53 \%$ of the boat value. A BR of 1.3215 is used to modify the $40 \%$. It also must be noted that the deductible is to be subtracted from the damage of each accident because this is the amount that the Insured is paying out of his or her pockets. Our expected cost is simply (. $4 * B R * B V-D)$ where $B R=$ boat risk, $B V=$ boat value and $D=$ deductible.

The company's total expenses are split between all coverage options according to how many policies are purchased. An amount, E, is added to each coverage option. All these factors together produce an equation for the expected losses per customer on a yearly basis for personal property coverage:

$$
L=(C * O R)(.4 * B R * B V-D)+E
$$

## Liability

Liability covers the insured for damages and medical costs inflicted upon another. Liability is the most popular coverage option among the boat and auto insurance industry because it covers unexpected costs. Many people choose not to purchase personal property damage coverage because these losses can be anticipated. People often know whether or not they can afford to lose their automobile or their boat if an unfortunate accident may occur. What no one can predict is the severity of losses that can come when you are the one at fault for inflicting damage upon another person or their property. This person may also choose to sue you for other reasons as well such as "emotional distress". In instances like this, legal costs are also unknown.

The equation for expected losses for liability will look similar to that of the equation for expected losses for personal property damage. The difference being that the medical and property damage inflicted upon another cannot be predicted as easily. This is for two reasons; the first being that the value of the boat that will be hit is unknown. The second is the severity of injuries that could be inflicted upon others during an accident is unknown. USCG lacks information on the cost of injuries that can occur at sea.

It was decided that estimates must be approximated using insurance quotes. Fortunately, this proved to be easy as the quotes were consistent. Using operator inputs that would produce an OR (operator risk) equal to about one (new driver, had boat lessons, experienced, no violations) and using a deductible of $\$ 1,000$; it was found that a consistent liability cost was given for each boat type. Boat value has no impact on liability costs; this is expected because you are paying for an unknown boat value that belongs to another. This cost can only be approximated as an average over all boats. The same must be done for medical payments. The cost of PWCs for liability coverage was consistently $\$ 100$. Motorboats tend to vary because companies with more resources differentiate between engine types. This base cost was typically about $\$ 125$. Here is a copy of the one of the quotes received for Liability coverage on a PWC:
*******************************************************************

*     *         *             * 

Thank you for completing a quote with us. When you're ready, you can buy your policy online
at https://www.progressive.com/retrieve.asp?product=BT
or call 1-888-438-1263 to start your coverage immediately.

YOUR 12 MONTH RATE:
***** Paid in Full Payment Option $* * * * *$
Payment Amount: \$100.00

Note: Payments may include an installment charge that can vary by payment method. With most payment options, you can reduce your installment charge by using our Electronic Funds Transfer feature, which deducts installment payments directly from your checking account.

```
****
```

Coverage Information

Watercraft \#1-2006 Lavey Craft 21 XCS
Bodily Injury \& Property Damage:
\$100,000 person/\$100,000 property damage
Watercraft \#1
Comprehensive:
No coverage
Collision:
No coverage

Figure 11: Sample Quote from Progressive

Watercraft \#1 is a 2006 Lavey Craft 21 XCS. This type of boat is a PWC. The first coverage option is for liability. $\$ 100,000$ person refers to medical payments including legal fees if you are sued. All liability coverage options will include a ceiling of $\$ 100,000$ for medical payments and $\$ 100,000$ for property damage. This is the standard for GLIC.

Many quotes were received similar to the format above. GLIC differentiates between all types of boat as much as possible. PWCs proved to be consistent at $\$ 100$ while motorboats ranged from about $\$ 120$ to $\$ 130$. A mean of $\$ 125$ is used for motorboats. Options such as adding violations or not having had boating lessons increases the price. This can be represented by the operator risk value. After seeing the consistency of the quotes given from Progressive and US Marine, it was clear that these insurance companies simply projected the average liability cost of an accident. This value is used for all policies because liability damage is independent of the value of your own boat. The final equation should look like this:

$$
\begin{aligned}
& L_{C}=(C * O R)(A L-D)+E \\
& \text { Where } A L=\text { average liability losses }
\end{aligned}
$$

Every variable or constant above is known except AL. Insurance companies will not simply charge their expected losses; they want to earn a $10-15 \%$ on the policy. This will be reposted several ways to
assure that the company will indeed make a profit in a later section. The most accurate way to earn an average of $15 \%$ on each policy is to simply multiply the expected losses by 1.15 . Knowing this, we can work backwards to solve for AL.

- $A L_{p w c}=[(L-E) /(C * O R)+D]$

With $L=\$ 100 / 1.15, E=\$ 42.00$ (expected expenses per coverage option)

- $C=.010366, O R=1$
- $D=1000$
$P=$ profits $=1.15$ for $15 \%$ profit
In this case $A L_{p w c}=\$ 5336.92$. The same calculation can be done for motorboats:

$$
\begin{aligned}
A L_{p w c} & =[(L-E) /(C * O R)+D] P \\
& \text { With } L=\$ 100 / 1.15, E=\$ 42
\end{aligned}
$$

$$
C=.010366, O R=1, D=1000, P=1.15
$$

$A L_{m b}=\$ 7434.08$
All the constants for the final equation to estimate the yearly liability loss per policy are now known. Once again, the final equation is:

$$
L=(C * O R)(A L-D)+E \text { where } A L=\text { average liability losses }
$$

## Chapter 8: Medical Payments

Medical payments are a minor type of boat insurance coverage. The upper limit that a customer has chosen determines the price. In order to find the expected value, one needs to first find the probability of injuries occurring. According to the data we have, the average chances of injuries over the past three years are shown in the following table:

|  | Registered Boats | Total Injuries | Average Chances |
| :--- | ---: | ---: | ---: |
| 2004 | $12,781,476$ | 3,363 | $0.0263 \%$ |
| 2005 | $12,942,414$ | 3,451 | $0.0267 \%$ |
| 2006 | $12,746,126$ | 3,474 | $0.0273 \%$ |

Figure 12: Chance of injury

It is assumed that all the reported accidents and injuries are 20 times greater than what is reported, so the adjusted probabilities of injuries are 20 times larger than the table above. For example, in the year 2004:

Adjusted chance $=0.000263115 * 20=0.007893455$
The upper limits of medical payments are classified into five levels: $\$ 1000, \$ 2000, \$ 5000, \$ 7500, \$ 10000$ respectively. Assuming that every claim of injuries reaches its highest limit, the average medical payment would range from $\$ 7.89$ to $\$ 81.77$ per customer for

2004 data. The initial expected costs of medical payments per customer are:

| Injury Costs | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 5}$ | $\mathbf{2 0 0 6}$ |
| :--- | :--- | :--- | :--- |
| 1000 | 7.89 | 8.00 | 8.18 |
| 2000 | 15.79 | 16.00 | 16.35 |
| 5000 | 39.47 | 40.00 | 40.88 |
| 7500 | 59.20 | 60.00 | 61.32 |
| 10,000 | 78.93 | 80.00 | 81.77 |

Figure 13: project losses for medical payments

Not every loss reaches the upper limit, thus the costs do not have a linear relationship based on upper limit values as assumed in the table above. The following chart assumes a linear relationship between each level using the standard method for weighting data over the past three years:

| Injury Costs | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 5}$ | $\mathbf{2 0 0 6}$ | Average |
| :--- | :--- | :--- | :--- | :--- |
| 1000 | 7.89 | 8.00 | 8.18 | 8.04 |
| 2000 | 15.79 | 16.00 | 16.35 | 16.08 |
| 5000 | 23.68 | 24.00 | 24.53 | 24.13 |
| 7500 | 31.57 | 32.00 | 32.71 | 32.17 |
| 10,000 | 39.47 | 40.00 | 40.88 | 40.21 |

Figure 14: weighted average of projected costs for each medical limit

The next step is to compare the results thus far with real boat insurance quotes, which can be gathered from existing companies such as Progressive and Boat U.S.

The Standard inputs are set as:
\# of boats: 1
\# of operators: 1

I currently do NOT have a policy with Progressive

- Model Year: 2005
- Make: Yamaha AR 210
- No co-owner
- Boat value: \$17,000

HP: 135

Progressive offers many choices for upper limits on different types of coverages. Adjusting only medical payments and boat values, the selected quote prices from Progressive are:

| Medical <br> limits | Quote price <br> $\mathbf{( B V ~ \$ 1 7 , 0 0 0 )}$ | Quote price <br> $\mathbf{( B V ~ \$ 2 0 , 0 0 0 )}$ |
| ---: | ---: | ---: |
| 1000 | 529 | 556 |
| 2000 | 538 | 565 |
| 5000 | 548 | 575 |
| 7500 | 557 | 584 |
| 10000 | 567 | 594 |
| 0 | 519 | 546 |

Figure 15: Full policy prices from a sample quote

These quotes are for a policy that includes all coverage options. This is done to reduce the expenses tacked onto a single coverage option. In addition, some companies do not allow the purchaser to
simply purchase medical coverage without purchasing liability as well. There is approximately a " $\$ 10$ increment" between upper limits. This is consistent with the chart assuming a linear relationship between upper limit levels. It is important to be clear on where the linear relationship exists. A customer who chooses a $\$ 10,000$ limit doesn't mean that his medical bill will cost five times more than the customer who chooses $\$ 2,000$; it may even cost less. The linear relationship exists between the five levels of upper limits. The five medical limit values will be assigned values (1-5)

The equation for expected losses on a yearly basis is:

$$
L_{m p}=(I R * A M * M L)+E
$$

- IR = injury rate
- $\mathrm{AM}=$ average medical cost
- ML = medical limit level

The projected accident costs calculated in this section does not include expenses, only the section within the parenthesis. Once again, these are:

| Upper | Expected <br> Medical |
| ---: | ---: |
| Limits | Costs Per Year |$|$| 10.04 |  |
| ---: | ---: |
| 1000 | 16.08 |
| 2000 | 24.13 |
| 5000 | 32.17 |
| 7500 | 40.21 |
| 10,000 |  |

Figure 16: Expected medical losses

## Chapter 9: Death Benefits

Death benefits, similar to medical payments, are a low cost coverage option available to those purchasing boat insurance. It pays an amount X , to the family of the deceased upon a boating accident resulting in the death of the insured. The Great Lakes Insurance Company will be presenting $\$ 50,000$ as the compensation to the family of the deceased.

The payment that the insured owes on a yearly basis should have little variation in costs and thus, are easy to calculate with the given statistics. According to the data, there are only two factors that have a significant impact on the risk of a fatality. These factors include whether the purchaser has had boating lessons and if the boat is used in winter. Quick calculations from the data set show that the risks of using a boat during the winter months increased the chance of a fatality by 1.76 times. This number is calculated using the data below by simply taking the fatality rate for the six winter months (OctoberMarch) and dividing it by the fatality rate for the six summer months (April-September).

THE EFFECTS OF COLD WEATHER ON FATAL ACCIDENT RISK - 2006


Figure 17: Weather statistics

BOATERS ARE MORE LIKELY TO PERISH IF THEY ARE INVOLVED IN A REPORTED ACCIDENT DURING THE FALL \& WINTER MONTHS

| MONTH | FATAL <br> ACCIDENTS | NON-FATAL <br> ACCIDENTS | TOTAL <br> ACCIDENTS | FATAL <br> ACCIDENT <br> RISK | TOTAL <br> FATALITIES |
| :--- | :---: | :---: | :---: | :---: | :---: |
| January | 22 | 63 | 85 | $26 \%$ | 24 |
| February | 27 | 66 | 93 | $29 \%$ | 33 |
| March | 26 | 119 | 145 | $18 \%$ | 33 |
| April | 65 | 211 | 276 | $24 \%$ | 75 |
| May | 81 | 518 | 599 | $14 \%$ | 93 |
| June | 96 | 719 | 815 | $12 \%$ | 106 |
| July | 116 | 1,253 | 1,369 | $8 \%$ | 126 |
| August | 79 | 705 | 784 | $10 \%$ | 85 |
| September | 49 | 388 | 437 | $11 \%$ | 54 |
| October | 32 | 160 | 192 | $17 \%$ | 37 |
| November | 25 | 75 | 100 | $25 \%$ | 28 |
| December | 15 | 57 | 72 | $21 \%$ | 16 |
| Total | 633 | 4,334 | 4,967 |  | 710 |

Figure 18: Monthly fatality statistics

Using the data from chapter 5, the operator risk section, the additional risks of not taking boating lessons can be calculated. Approximately $61 \%$ of the population has never taken boating lessons. This can be combined with the information below:


Figure 19: Fatality break down by lesson type

Assuming a fatality has occurred, there is a $71.3 \%$ chance that the operator has not taken boating lessons.

The equation to solve is:
$P($ fatality $\cap$ no instruction $) / P($ fatality $\cap$ instruction).
Utilizing the basic laws of probability, the numerator is equal to:
$P($ no instruction |fatality) $* P$ (fatality).
The denominator is equal to:
(Instruction |fatality) * $P$ (fatality).
This simplifies down to:
$P$ (no instruction |fatality)/(instruction |fatality)
If one has never taken boating lessons, the chances of a fatality increases by $.713 / .287=2.48$ times. This is equivalent to the maximum possible value for operator risk. Although all risk factors from the operator risk section will affect the fatality rate, USCG only shows fatality rates using boating lessons. Since the range of values is so consistent, operator risk can be used as a replacement.

The next step is to calculate the risk equations' constant fatality rate, $F R$, must be found. This will be the chance of a fatality occurring within a year assuming it is not used in the winter and the purchaser has had boating lessons (The equivalent in the final equation will be $O R=1$ ). In order to find $K$, The entire equation is set to equal:

$$
5.5 \times 10^{-5}
$$

This number is the proportion of fatalities in general relative to the total number of registered boaters. USCG is accurate with the number of fatalities since al fatalities are reported, thus the $5 \%$ accident assumption does not need to be applied to the fatality rate. Since this value is the average fatality rate over all factors, it is used to help find the FR, fatality rate, under the specific safe conditions. In the end, this value needs to then be multiplied by both risk factors.

The next step is to use the data to estimate how many customers would use their boat in the winter and would not have taken lessons, use their boat in the winter and have taken lessons, not use their boat in the winter and not have taken lessons, or fall under the specific safe conditions. Multiply these percentages by their respective risk factors to help find the FR. Using the data, it is estimated that $22.8 \%$ of customers will have taken boating lessons and not be using their boat in the winter. $15.4 \%$ of customers will be using their boat in the winter, but have taken lessons. 45\% of customers will not be using their boat in the winter but have not taken lessons. And $16.8 \%$ of customers will have not taken lessons and be using their boat in the winter. If the latter is the case, the multiplier is: $2.1 * 2.3=4.83$

Calculating for FR, one gets:

$$
\begin{aligned}
& {[(22.5 * 1+15.4 * 2.1+45 * 2.3+16.8 * 4.83) / 100] * K=5.5 X} \\
& 10^{-5}, \text { thus } F R=6.51 \times 10^{-7}
\end{aligned}
$$

Recall that GLIC is paying $\$ 50,000$ for the death benefit. Now that FR has been calculated and all the risk factors are known, the resulting risk equation for death benefits is simply:

$$
\begin{aligned}
& L=F R * W * O R * 50,000+E \\
& W=1.76 \text { if used in winter, } 1 \text { if not } O R=\text { operator risk }
\end{aligned}
$$

Notice the similarity between this equation and the others. It is simply an accident rate adjusted by factors, multiplied by the expected cost of an accident with expenses tacked on. In this case, the expected costs per accident are almost $100 \%$ accurate because the company always pays out exactly $\$ 50,000$.

## Chapter 10: Profits

The goal of any company is to make a yearly profit. For the Great Lakes Insurance Company, the goal is to receive a yearly profit of $10 \%-15 \%$ with a good margin of safety. In order to accomplish this, the risks and expected loss have to be scaled. If the average loss is used, there will be a high variation among yearly claims paid, depending on luck. While having a bigger customer pool helps prevent this problem, this is not sufficient to insure a profit for the company.

For an average contract, the total expected loss for each category is calculated and summed. This in turn becomes the total loss per given contract. Since this factor becomes the only risk factor, the others being expenses, a margin of safety is applied. A normal distribution would be the ideal in this case. However, due to the nature of our data, the variance is almost impossible to find. Therefore, the average expected loss is applied to a Chi-Squared distribution under which the variance is twice the mean.

Chi-Squared PDF: $\frac{(1 / 2)^{k / 2}}{\Gamma(k / 2)} x^{\frac{k}{2} 1} \varepsilon^{\frac{-x}{2}}$

With $K$ equal to the mean expected loss, the data is graphed to present a visual representation of the losses. With the Chi-Squared
distribution, the PDF begins at zero unlike the Normal, so there is no need to factor out the negative piece.


Figure 20: Chi Squared graph of the expected losses

Once the results are graphed, the 99\% mark is calculated by taking the area under the curve. This amount is the final expected loss amount that will maintain $99 \%$ of the contracts will not have expected losses higher than the projection. Once the expenses are added, a markup of $15 \%$ is applied to achieve the targeted profit range.

## Chapter 11: Conclusion

For the purpose of this project, The Great Lakes Insurance Company has created a unique boat insurance product, marketed in six of the states that make up the Great Lakes region. In order to accomplish its original goals, GLIC has concentrated all of its attention to a relatively small area of the United States. By opting for boat insurance as opposed to health or life, the company can join a fairly small group of companies and compete competitively for a larger market share. With the limited data that was available to the company, breakdown of the risks, expenses, and accident rates are carried out in order to simulate a pricing process similar to real world companies. The finished product consists of 4 different coverage options. The first three are standard plans:

- Personal Property Damage
- Liability Coverage
- Medical Coverage

The fourth offered product is unique to GLIC, Death Benefits, which pays a sum of money in the event of death.

Within each coverage option, risks exist that can alter accidents rates and the severity of accidents. These risks are represented by operator risk and boat risk. Data from the USCG yearly census is used
to calculate the values for each risk category given specific inputs that were deemed significant. With more resources available, additional risk factors could play a part within each category; however, they would have minor roles.

Expected losses are calculated on a per year basis using a standard equation format of the accident rate multiplied by the projected costs of each accident. Finally, yearly expenses are added on. The goal of the project was to assure at least a $10-15 \%$ profit. A chisquared distribution is used to adjust the losses so we can be $99 \%$ confident that they will not exceed what is being charged. The adjust Iosses are multiplied by 1.15 to earn a profit of $15 \%$.

## Work Cited:

1. United States Coastal Guard and United States Department of Homeland Security. U.S. Coast Guard Accident Statistics. http://www.uscgboating.org/statistics/accident stats.htm
2. Progressive. Boat Insurance Made Easy. http://www.progressive.com/insurance/boat/quote-in-minutes.aspx
3. BoatU.S. Marine Insurance, "Boat Insurance Quick Quote Request" https://www.boatus-insurance.com/insappNew/Default.asp

## Census Of The 25 States With The Most Registered Boats 20012005:

| Years | $\mathbf{2 0 0 5}$ |  | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ |
| :--- | :--- | :--- | :--- | :--- | ---: | ---: | 2000

## Accident Rates For The 25 States With The Most Registered Boats 2001-2005:

| Years | 2005 | 2004 | 2003 | 2002 | 2001 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Florida | 603 | 713 | 752 | 831 | 993 |
| California | 630 | 603 | 797 | 745 | 771 |
| Michigan | 161 | 143 | 218 | 226 | 299 |
| Minnesota | 114 | 88 | 106 | 122 | 125 |
| Wisconsin | 127 | 107 | 126 | 148 | 164 |
| Texas | 144 | 159 | 198 | 204 | 206 |
| New York | 190 | 178 | 224 | 212 | 223 |
| South Carolina | 83 | 83 | 108 | 105 | 123 |
| Ohio | 132 | 105 | 122 | 140 | 139 |
| Illinois | 101 | 72 | 82 | 134 | 108 |
| North Carolina | 164 | 140 | 144 | 138 | 179 |
| Pennsylvania | 61 | 58 | 79 | 74 | 80 |
| Missouri | 202 | 172 | 201 | 192 | 226 |
| Georgia | 111 | 118 | 141 | 131 | 113 |
| Louisiana | 126 | 156 | 130 | 145 | 154 |
| Washington | 128 | 134 | 126 | 111 | 117 |
| Tennessee | 114 | 173 | 155 | 129 | 132 |
| Alabama | 69 | 70 | 83 | 70 | 87 |
| Virginia | 127 | 136 | 115 | 121 | 152 |
| Iowa | 53 | 32 | 25 | 38 | 36 |
| Oklahoma | 62 | 55 | 72 | 72 | 86 |
| Indiana | 41 | 51 | 56 | 97 | 120 |
| Mississippi | 23 | 35 | 41 | 43 | 64 |
| Maryland | 183 | 178 | 146 | 161 | 186 |
| Arkansas | 68 | 55 | 50 | 74 | 75 |
| Total | 4,969 | 4,904 | 5,438 | 5,705 | 6,419 |

## Total Dollars Lost in Each State from 2001-2005:

| Years | $\mathbf{2 0 0 5}$ | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Florida | $\$ 5,350,629$ | $\$ 10,069,934$ | $\$ 9,743,437$ | $\$ 8,221,119$ | $\$ 7,413,780$ |
| California | $3,381,151$ | $4,005,301$ | $3,672,500$ | $3,312,300$ | $2,741,850$ |
| Michigan | 338,127 | $1,014,434$ | 723,083 | 601,747 | $1,572,466$ |
| Minnesota | 351,577 | 297,691 | 622,501 | 339,349 | 561,289 |
| Wisconsin | 439,230 | 320,284 | 364,527 | 530,101 | $1,139,064$ |
| Texas | 702,669 | 901,673 | 614,471 | 942,116 | 809,796 |
| New York | $1,321,878$ | $1,284,219$ | $2,330,731$ | 971,995 | $1,086,412$ |
| South Carolina | 144,537 | 768,404 | 438,111 | 296,305 | 512,851 |
| Ohio | 959,262 | 391,093 | 698,521 | 392,972 | 673,905 |
| Illinois | 253,845 | 243,950 | 266,616 | 414,079 | 308,014 |
| North Carolina | 870,085 | 486,805 | 682,422 | 943,382 | 727,946 |
| Pennsylvania | 256,535 | 86,591 | 177,194 | 97,255 | 137,181 |
| Missouri | $1,389,552$ | 807,381 | $1,192,029$ | $1,555,266$ | $1,866,469$ |
| Georgia | $3,103,447$ | 271,485 | 375,913 | 289,557 | $1,866,469$ |
| Louisiana | 415,822 | 737,161 | 736,828 | 414,881 | 464,103 |
| Washington | $1,398,097$ | $1,051,705$ | 684,265 | $3,128,823$ | 473,060 |
| Tennessee | $4,701,771$ | 745,610 | 802,995 | 896,733 | 210,089 |
| Alabama | 543,570 | 881,510 | $6,928,825$ | 587,432 | 518,403 |
| Virginia | $2,012,592$ | $1,160,640$ | 775,975 | $5,156,549$ | 557,480 |
| Iowa | 94,850 | 261,400 | 37,500 | 64,162 | 58,492 |
| Oklahoma | 162,990 | 318,410 | 197,085 | 210,790 | 227,801 |
| Indiana | 186,200 | 219,645 | 134,590 | 277,842 | 845,367 |
| Mississippi | 135,518 | 159,290 | 164,125 | 115,660 | 113,772 |
| Maryland | $1,129,302$ | $1,391,539$ | $1,498,534$ | $3,186,946$ | $1,299,150$ |
| Arkansas | 319,400 | 257,263 | 258,110 | 117,250 | 294,551 |
| Total | $38,721,088$ | $35,038,306$ | $40,422,374$ | $39,185,172$ | $31,307,448$ |

## Average Damage per Boat For The Top 25 States \&

## The States Chosen By GLIC:

|  | Losses | Per Boat | Covered <br> States |
| :--- | ---: | ---: | ---: |
| Florida | $\$ 8,159,779.80$ | $\$ 8.86$ |  |
| California | $3,422,620.40$ | 3.68 |  |
| Michigan | $849,971.40$ | 0.87 | 0.87 |
| Minnesota | $434,481.40$ | 0.52 | 0.52 |
| Wisconsin | $558,641.20$ | 0.92 | 0.92 |
| Texas | $794,145.00$ | 1.28 |  |
| New York | $1,399,047.00$ | 2.68 |  |
| South Carolina | $432,041.60$ | 1.11 |  |
| Ohio | $623,150.60$ | 1.50 | 1.50 |
| Illinois | $297,300.80$ | 0.78 | 0.78 |
| North Carolina | $742,128.00$ | 2.08 |  |
| Pennsylvania | $150,951.20$ | 0.42 |  |
| Missouri | $1,362,139.40$ | 4.14 |  |
| Georgia | $1,181,374.20$ | 3.65 |  |
| Louisiana | $553,759.00$ | 1.76 |  |
| Washington | $1,347,190.00$ | 5.10 |  |
| Tennessee | $1,471,439.60$ | 5.60 |  |
| Alabama | $1,891,948.00$ | 7.17 |  |
| Virginia | $1,932,647.20$ | 7.99 |  |
| Iowa | $103,280.80$ | 0.46 |  |
| Oklahoma | $223,415.20$ | 1.00 |  |
| Indiana | $332,728.80$ | 1.54 | 1.54 |
| Mississippi | $137,673.00$ | 0.59 |  |
| Maryland | $1,701,094.20$ | 8.41 |  |
| Arkansas | $249,314.80$ | 1.26 |  |
| Average | $1,214,090.50$ | 2.94 | 1.02 |

The 5 Types Of Accidents That Occur Most Frequently \& The Top 10 Contributing Factors:

| Top Five Types Of Accidents | Accidents |
| :--- | ---: |
| 1. Collision With Vessel | 1378 |
| 2. Falls Overboard | 498 |
| 3. Collision With Fixed Object | 497 |
| 4. Skier Mishap | 464 |
| 5. Capsizing | 442 |
| Total | 3279 |

Top Ten Contributing Factors
Accidents

1. Careless/Reckless Operation

639
2. Operator Inattention

568
3. Excessive Speed 432
4. Operator Inexperience
5. Passenger/Skier Behavior 429
6. Alcohol Use 384
7. Hazardous Waters 366
8. No Proper Lookout 327
9. Machinery System Failure 314
10. Weather

273
Total 3875
\% Of Total
42.03\%
15.19\%
15.16\%
14.15\%
13.48\%
$100.00 \%$
\% Of Total
16.49\%
14.66\%
11.15\%
11.07\%
9.91\%
9.45\%
8.44\%
8.10\%
7.05\%
3.69\%
100.00\%

## Accidents and Losses Separated By Primary Cause Of Accident From 2001-2005:

| Boating Accidents: | 2005 |  | 2004 |  | 2003 |  | 2002 |  | 2001 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Capsizing | 442 | \$2,937,562.00 | 393 | \$2,267,043.00 | 514 | \$3,167,989 | 458 | \$2,344,033.00 | 466 | \$1,554,496 |
| Carbon Monoxide Exposure | 14 | 0.00 | 12 | 0.00 | 20 |  |  |  |  |  |
| Collision With Fixed Object | 497 | 4,534,455.00 | 525 | 4,271,785.00 | 558 | 4,751,034.00 | 605 | 4,370,191.00 | 644 | 3,762,104.00 |
| Collision With Floating Object | 128 | 1,262,255.00 | 95 | 499,692.00 | 152 | 1,123,884.00 | 130 | 734,694.00 | 109 | 322,023.00 |
| Collision With Vessel | 1,378 | 10,559,219.00 | 1,479 | 8,037,552.00 | 1,469 | 7,474,678.00 | 1,704 | 8,295,659.00 | 2,062 | 8,997,570.00 |
| Departed Vessel (Not Specified) | 22 | 0.00 | 19 | 85.00 | 45 | 0.00 | 39 |  |  |  |
| Departed Vessel (Repairs) | 2 | 400.00 | 2 | 0.00 |  |  |  |  |  |  |
| Departed Vessel (Retrieval) | 4 | 0.00 | 5 | 0.00 |  |  |  |  |  |  |
| Departed Vessel (Swimming) | 23 | 0.00 | 21 | 1,000.00 |  |  |  |  |  |  |
| Ejected From Vessel | 16 | 75,000.00 | 45 | 244,500.00 | 7 |  | 16 | 26,100.00 |  |  |
| Electricution |  |  | 4 | 12,000.00 |  |  |  |  |  |  |
| Falls/Impact In Boat | 47 | 10,600.00 |  |  |  |  |  |  |  |  |
| Falls In Boat | 210 | 110,200.00 | 176 | 106,496.00 | 233 | 183,400.00 | 256 | 35,620.00 | 284 | 48,685.00 |
| Falls On Vessel |  |  | 50 | $27,443.00$ |  |  |  |  |  |  |
| Falls On PWC |  |  |  |  | 15 |  |  |  |  |  |
| Falls Overboard | 498 | 487,895.00 | 488 | 288,205.00 | 509 | 141,018.00 | 542 | 627,960.00 | 514 | 313,789.00 |
| Fire/Explosion (Fuel) | 141 | 7,811,354.00 | 162 | 8,297,780.00 | 142 | 2,921,295.00 | 160 | 11,164,927.00 | 153 | 3,179,323.00 |
| Fire/Explosion (Other Than Fuel) | 57 | 2,115,731.00 | 56 | 2,462,181.00 | 68 | 9,189,282.00 | 77 | 3,552,150.00 | 112 | 3,001,106.00 |
| Flooding/Swamping | 224 | 2,063,350.00 | 257 | 1,853,848.00 | 274 | 2,383,566.00 | 284 | 2,091,962.00 | 339 | 2,138,094.00 |
| Grounding | 291 | 2,778,913.00 | 215 | 2,488,744.00 | 291 | 4,282,148.00 | 340 | 2,739,601.00 | 412 | 3,792,817.00 |
| Other | 40 | 155,205.00 | 69 | 93,200.00 | 80 | 177,900.00 |  |  |  |  |
| Sinking | 125 | 1,500,542.00 | 131 | 2,507,989.00 | 128 | 2,021,308.00 | 128 | 1,681,948.00 | 150 | 1,855,357.00 |
| Skier Mishap | 464 | 6,550.00 | 380 | 25,050.00 | 451 | 13,001.00 | 469 | 9,200.00 | 439 | 2,200.00 |
| Struck By Boat | 68 | 64,625.00 | 108 | 158,719.00 | 89 | 116,350.00 | 101 | 96,125.00 | 166 | 827,502.00 |
| Struck By Motor/Propeller | 100 | 13,390.00 | 64 | 500.00 | 107 | 350.00 | 90 | 10,800.00 | 100 | 15,701.00 |
| Struck Submerged Object | 141 | 1,609,891.00 | 102 | 974,112.00 | 128 | 1,446,179.00 | 110 | 954,582.00 | 128 | 801,966.00 |
| Unknown | 37 | 623,951.00 | 46 | 420,378.00 | 158 | 1,028,992.00 | 196 | 449,620.00 | 341 | 694,715.00 |
| Total | 4,969 | 38,721,088.00 | 4,904 | 35,038,302.00 | 5,438 | 40,422,374.00 | 5,705 | 39,185,172.00 | 6,419 | 31,307,448.00 |

## Operator Risk Characteristics and Weighted Average: Age

| Age: Estimates | $\mathbf{2 0 0 6}$ | $\mathbf{2 0 0 5}$ | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| 12 \& Under | 33 | 23 | 33 | 51 | 48 | 76 |
| 13-18 | 530 | 550 | 558 | 671 | 752 | 840 |
| 19-25 | 787 | 791 | 779 | 892 | 962 | 1142 |
| $26-35$ | 994 | 1012 | 1052 | 1210 | 1426 | 1622 |
| $36-55$ | 2133 | 2295 | 2214 | 2498 | 2654 | 2944 |
| 55+ | 729 | 804 | 834 | 778 | 885 | 934 |
| Unknown | 1547 | 1153 | 1255 | 1263 | 1180 | 1416 |
| Total (Unknown Exclusive) | 5206 | 5475 | 5470 | 6100 | 6727 | 7558 |


| Age: |  |  |  |  |  |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| Estimates | $\mathbf{2 0 0 6}$ | $\mathbf{2 0 0 5}$ |  | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ | Average | Weighted <br> Average |
| Weights | 6 | 5 | 4 | 3 | 2 | 1 |  |  |  |
| 12 \& Under | $0.63 \%$ | $0.42 \%$ | $0.60 \%$ | $0.84 \%$ | $0.71 \%$ | $1.01 \%$ | $0.70 \%$ | $0.63 \%$ |  |
| $13-18$ | $10.18 \%$ | $10.05 \%$ | $10.20 \%$ | $11.00 \%$ | $11.18 \%$ | $11.11 \%$ | $10.62 \%$ | $10.41 \%$ |  |
| $19-25$ | $15.12 \%$ | $14.45 \%$ | $14.24 \%$ | $14.62 \%$ | $14.30 \%$ | $15.11 \%$ | $14.64 \%$ | $14.64 \%$ |  |
| $26-35$ | $19.09 \%$ | $18.48 \%$ | $19.23 \%$ | $19.84 \%$ | $21.20 \%$ | $21.46 \%$ | $19.88 \%$ | $19.39 \%$ |  |
| $36-55$ | $40.97 \%$ | $41.92 \%$ | $40.48 \%$ | $40.95 \%$ | $39.45 \%$ | $38.95 \%$ | $40.45 \%$ | $40.86 \%$ |  |
| $55+$ | $14.00 \%$ | $14.68 \%$ | $15.25 \%$ | $12.75 \%$ | $13.16 \%$ | $12.36 \%$ | $13.70 \%$ | $14.06 \%$ |  |
| Total | $100.00 \%$ | $100.00 \%$ | $100.00 \%$ | $100.00 \%$ | $100.00 \%$ | $100.00 \%$ | $100.00 \%$ | $100.00 \%$ |  |

## Age Estimates



## Experience:

| $\quad$ Experience: Hours | $\mathbf{2 0 0 6}$ | $\mathbf{2 0 0 5}$ | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| 10 Under | 410 | 788 | 494 | 709 | 839 | 951 |
| 10-100 | 1331 | 1289 | 1270 | 1546 | 1641 | 1850 |
| 101-500 | 1616 | 2212 | 2328 | 2887 | 3355 | 3678 |
| 500+ | 590 | 427 | 369 | 154 | 45 | 122 |
| Unknown | 2806 | 1877 | 2197 | 2042 | 2027 | 2259 |
| Total | 3947 | 4716 | 4516 | 5310 | 5880 | 6715 |


| Experience: Hours | 2006 | 2005 | 2004 | 2003 | 2002 | 2001 | Average | Weighted Average |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Weights | 6 | 5 | 4 | 3 | 2 | 1 |  |  |
| 10 Under | 10.39\% | 16.71\% | 12.16\% | 13.62\% | 14.27\% | 14.16\% | 13.55\% | 13.24\% |
| 10-100 | 33.72\% | 27.33\% | 28.12\% | 29.11\% | 27.91\% | 29.24\% | 29.24\% | 29.71\% |
| 101-500 | 40.94\% | 46.90\% | 51.55\% | 54.37\% | 57.06\% | 50.93\% | 50.93\% | 48.49\% |
| 500+ | 14.95\% | 9.05\% | 8.17\% | 2.90\% | 0.77\% | 6.28\% | 6.28\% | 8.56\% |
| Total | 100.00\% | 100.00\% | 100.00\% | 100.00\% | 100.00\% | 100.00\% | 100.00\% | 100.00\% |

## Experience



## Education:

| Education: Type | $\mathbf{2 0 0 6}$ | $\mathbf{2 0 0 5}$ | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| Fatalities |  |  |  |  |  |  |
| None | 2587 | 2975 | 2442 | 2816 | 3130 | 3640 |
| Informal | 291 | 345 | 396 | 426 | 390 | 418 |
| State Course | 538 | 546 | 477 | 535 | 513 | 564 |
| US Power Squadrons | 113 | 124 | 167 | 172 | 203 | 222 |
| USCG Auxiliary | 269 | 384 | 338 | 398 | 432 | 524 |
| Other | 350 | 467 | 376 | 307 | 145 | 171 |
| Red Cross | 34 | 34 | 52 | 65 | 46 | 44 |
| Unknown | 2571 | 1753 | 2477 | 2644 | 3048 | 3391 |


| Age: Estimates | $\mathbf{2 0 0 6}$ |  | $\mathbf{2 0 0 5}$ |  | $\mathbf{2 0 0 4}$ | $\mathbf{2 0 0 3}$ | $\mathbf{2 0 0 2}$ | $\mathbf{2 0 0 1}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| Weights | 6 | 5 | 4 | 3 | 2 | 1 | Weighted <br> Average |  |
| Average |  |  |  |  |  |  |  |  |




## Operator Risk \& Boat Risk Calculation Template: Example

## Selection Area:

|  | US | Power |
| :--- | :--- | :--- |
| Education: | Squadrons <br> Age: <br> Experience: | $55+$ |
| Points: | 500 Over |  |
| Poat Type: 6 <br> Rates: Motorboat |  |  |
| Reference Number <br> Education | $35.775 \%$ |  |
| Multiplier | $44.33 \%$ |  |
| Age Multiplier <br> Experience | $45.57 \%$ |  |
| Multiplier <br> Point Multiplier | $17.42 \%$ |  |
| OR Multiplier | $100.00 \%$ | $100.3 \%$ |
| Boat Multiplier | $100.00 \%$ |  |
| Total Multiplier | $100.3 \%$ |  |

## Selection Factors for the Risk Template:

Lessons:
-Select-
None
Informal
State Course
US Power
Squadrons
USCG Auxiliary
Other

|  | Fatality |
| ---: | :--- |
| $104.43 \%$ | $109.61 \%$ |
| $145.84 \%$ | $105.12 \%$ |
| $104.64 \%$ | $106.19 \%$ |
|  |  |
| $44.33 \%$ | $31.08 \%$ |
| $62.12 \%$ | $28.73 \%$ |
| $133.57 \%$ | $219.53 \%$ |

## Age:

-Select-
12 Under 64.26\%

13-18 303.66\%
19-25 340.02\%
26-35 132.27\%
36-55
89.69\%

55+
45.57\%

## Point Value:

| 1 | $-25.00 \%$ |  |  |
| :--- | ---: | :--- | ---: |
| 2 | $-20.00 \%$ | Experience: |  |
| 3 | $-15.00 \%$ | -Select- |  |
| 4 | $-10.00 \%$ | 10 Less | $151.961 \%$ |
| 5 | $-5.00 \%$ | $10-100$ | $125.741 \%$ |
| 6 | 0 | $101-500$ | $195.978 \%$ |
| 7 | $5.00 \%$ | 500 Over | $17.423 \%$ |
| 8 | $10.00 \%$ |  |  |
| 9 | $15.00 \%$ |  |  |
| 10 | $20.00 \%$ |  |  |
| 11 | $25.00 \%$ | Boat Type |  |
| 12 | $30.00 \%$ | Select- |  |
| 13 | $35.00 \%$ | Motorboat | $100.00 \%$ |
| 14 | $40.00 \%$ | SWC | $84.15 \%$ |
| 15 | $45.00 \%$ |  | $91.46 \%$ |
| 16 | $50.00 \%$ |  |  |
| 17 | $55.00 \%$ |  |  |
| 18 | $60.00 \%$ |  |  |
| 19 | $65.00 \%$ |  |  |
| 20 | $70.00 \%$ |  |  |

## Calculating the severity of each type of Accident:

| 2004-2006 TOTAL | Accidents | PROPERTY DAMAGE | PROB/YEAR | Average Damage | Significant Factors |
| :---: | :---: | :---: | :---: | :---: | :---: |
| TOTAL | 4947 | \$39,143,273 | 0.0390\% | \$7913 | 1.20 |
| Capsizing | 430 | 2,316,268 | 0.0036\% | 5386 | 0.81 |
| Carbon Monoxide Exposure | 15 | 33,167 | 0.0001\% | 2261 | 0.34 |
| Collision w/ Fixed Object | 513 | 4,626,426 | 0.0041\% | 9018 | 1.36 |
| Collision w/ Floating Object | 122 | 1,004,667 | 0.0011\% | 8257 | 1.25 |
| Collision w/ Vessel | 1406 | 9,374,610 | 0.0107\% | 6669 | 1.01 |
| Departed Vessel | 15 | \$28 | 0.0000\% | 1 | 0.00 |
| Ejected from Vessel | 34 | 261,024 | 0.0003\% | 7753 | 1.17 |
| Fall In Boat | 141 | 68,440 | 0.0016\% | 486 | 0.00 |
| Fall On Boat | 96 | 48,231 | 0.0002\% | 500 | 0.00 |
| Falls Overboard | 490 | 380,005 | 0.0038\% | 774 | 0.00 |
| Fire or Explosion of Fuel | 148 | 7,377,366 | 0.0011\% | 49847 | 2.50 |
| Fire or Explosion - Other | 59 | 5,090,574 | 0.0005\% | 86771 | 2.50 |
| Flooding/Swamping | 232 | 2,004,350 | 0.0017\% | 8627 | 1.30 |
| Grounding | 253 | 2,688,285 | 0.0020\% | 10639 | 1.61 |
| Other Casualty | 70 | 138,914 | 0.0008\% | 1984 | 0.00 |
| Sinking | 123 | 2,221,889 | 0.0009\% | 18015 | 2.72 |
| Skier Mishap | 451 | 11,134 | 0.0040\% | 24 | 0.00 |
| Struck by Boat | 81 | 81,582 | 0.0005\% | 1011 | 0.00 |
| Struck by Motor/Propeller | 90 | 11,063 | 0.0008\% | 122 | 0.00 |
| Struck Submerged Object | 110 | 1,045,487 | 0.0007\% | 9533 | 1.44 |
| Unknown | 35 | 355,293 | 0.0002\% | 10055 | 0.00 |

## Weighted averages for the number of accidents per accident type for motorboats:

| 2006 TOTAL ACCIDENTS |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: |
| BY ACCIDENT TYPE | $\mathbf{2 0 0 6}$ | $\mathbf{2 , 0 0 5}$ | $\mathbf{2 , 0 0 4}$ | WEIGHTED <br> AVERAGE |
| TOTAL | 4,292 | 3,415 | 4,309 | 4,004 |
| Capsizing | 266 | 200 | 245 | 238 |
| Carbon Monoxide Exposure | 15 | 11 | 11 | 13 |
| Collision w/ Fixed Object | 431 | 302 | 439 | 390 |
| Collision w/ Floating Object | 138 | 101 | 83 | 111 |
| Collision w/ Vessel | 1,446 | 1,129 | 1,588 | 1,378 |
| Departed Vessel | 38 | 28 | 43 | 36 |
| Ejected from Vessel | 18 | 6 | 33 | 18 |
| Fall In Boat | 155 | 134 | 134 | 142 |
| Fall On Boat | 1 | 0 | 3 | 1 |
| Falls Overboard | 271 | 248 | 294 | 269 |
| Fire or Explosion of Fuel | 137 | 124 | 159 | 139 |
| Fire or Explosion - Other | 100 | 43 | 58 | 70 |
| Flooding/Swamping | 192 | 178 | 233 | 198 |
| Grounding | 219 | 214 | 186 | 209 |
| Other Casualty | 86 | 25 | 60 | 59 |
| Sinking | 102 | 75 | 124 | 99 |
| Skier Mishap | 438 | 342 | 353 | 383 |
| Struck by Boat | 37 | 41 | 72 | 48 |
| Struck by Motor/Propeller | 107 | 81 | 62 | 86 |
| Struck Submerged Object | 80 | 117 | 93 | 96 |
| Unknown | 15 | 16 | 36 | 21 |

## Weighted averages for the number of accidents per accident type for PWCs

| 2006 TOTAL ACCIDENTS BY |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: |
| ACCIDENT TYPE | $\mathbf{2 0 0 6}$ | $\mathbf{2 , 0 0 5}$ | $\mathbf{2 , 0 0 4}$ | WEIGHTED <br> AVERAGE |
| TOTAL | 1,777 | 1,795 | 1,767 | 1,780 |
| Capsizing | 37 | 32 | 19 | 31 |
| Carbon Monoxide Exposure | 2 | 1 | 1 | 1 |
| Collision with Fixed Object | 112 | 101 | 79 | 100 |
| Collision with Floating Object | 51 | 31 | 23 | 37 |
| Collision with Vessel | 1,123 | 1,151 | 1,173 | 1,146 |
| Departed Vessel | 1 | 2 | 0 | 1 |
| Ejected from Vessel | 19 | 11 | 13 | 15 |
| Fall In Boat | 41 | 48 | 48 | 45 |
| Fall On Boat | 28 | 49 | 55 | 42 |
| Falls Overboard | 152 | 153 | 143 | 150 |
| Fire or Explosion of Fuel | 23 | 14 | 16 | 18 |
| Fire or Explosion - Other | 3 | 5 | 1 | 3 |
| Flooding/Swamping | 12 | 14 | 23 | 16 |
| Grounding | 23 | 34 | 20 | 26 |
| Other Casualty | 19 | 5 | 16 | 14 |
| Sinking | 9 | 7 | 6 | 8 |
| Skier Mishap | 49 | 61 | 38 | 50 |
| Struck by Boat | 53 | 36 | 80 | 55 |
| Struck by Motor/Propeller | 8 | 2 | 1 | 4 |
| Struck Submerged Object | 4 | 29 | 5 | 13 |
| Unknown | 8 | 9 | 7 | 8 |

Weighted averages for the number of accidents per accident type for Sailboats:
2006 TOTAL ACCIDENTS BY
$\quad$ ACCIDENT TYPE
TOTAL
Capsizing
Carbon Monoxide Exposure
Collision with Fixed Object
Collision with Floating Object
Collision with Vessel
Departed Vessel
Ejected from Vessel
Fall In Boat
Fall On Boat
Falls Overboard
Fire or Explosion of Fuel
Fire or Explosion - Other
Flooding/Swamping
Grounding
Other Casualty
Sinking
Skier Mishap
Struck by Boat
Struck by Motor/Propeller
Struck Submerged Object
Unknown

## Evaluation of the Boat Risk Value for PWCs and the calculations

## for the average accident rate:



## Evaluation of the Boat Risk Value for Sailboats:

$\left.\begin{array}{lrccccccc}\text { Severity } \\ \text { Factors } \\ \text { (weighted } \\ \text { chance/ } \\ \text { year) }\end{array}\right]$


[^0]:    Karl Shen
    Jeremy Brokaw

